

ATS 2003 - Corrigé

1. Régime permanent

111. $E_m = k.w.ie = 0,11.157.25 = 431,75V$.
 $w_m = w/n = 157/0,5 = 314\text{rd/s}$ et $f_m = 50\text{Hz}$.

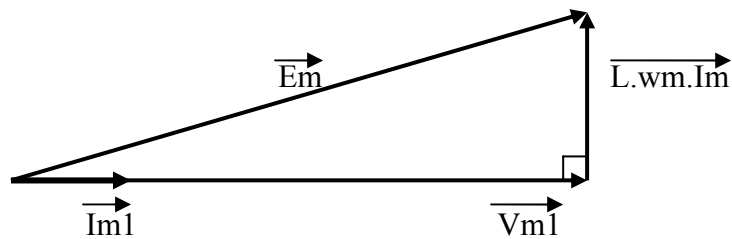
112. $N_o = 60.w/2\pi = 1500\text{tr/mn}$

113. $Z = jL.w_m \quad |Z| = L.w_m = 3.10^{-3}.314 = 0,942\Omega$ et $\varphi_Z = \pi/2 \text{ rd/s}$.

114. $\underline{V}_m = V_m \quad \underline{I}_m = I_m e^{-j\varphi} \quad \underline{E}_m = E_m e^{j\alpha}$

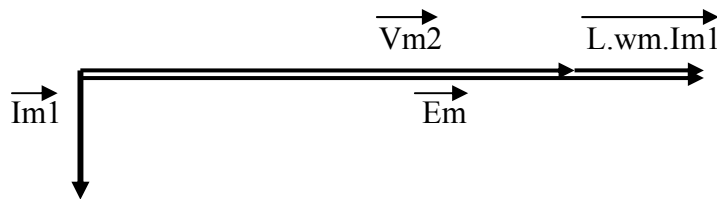
115. $\underline{V}_m = \underline{E}_m - jL.w_m.\underline{I}_m$

121.



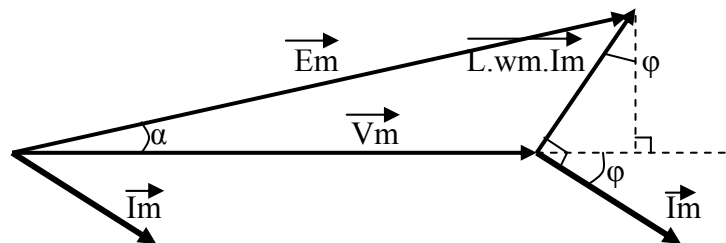
122. $V_m = [E_m^2 - (L.w_m.I_m)^2]^{1/2} = [431,75^2 - (0,942.300)^2]^{1/2} = 326,4V$.

131.



132. $V_{m2} = E_m - L.w_m.I_{m1} = 431,75 - (0,942.300) = 149,15V$

141.



142. $E_m.\sin\alpha = |Z|.\cos\varphi.I_m$

143. $P = V_m.I_m.\cos\varphi$

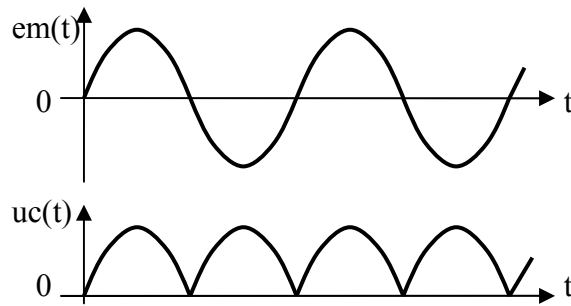
144. $P = (V_m.E_m.\sin\alpha) / |Z|$

145. P est maximale si $\alpha = \pi/2$ quand E_m et V_m sont constants.

146. La charge est de type R-L.

2. Redressement.

211.



212. $\omega_c = 2 \cdot \omega_m$

213. $U_{co} = 2 \cdot E_m \cdot \sqrt{2} / \pi$

214. $V_c = U_{co}$

221. u_c est une fonction paire donc tous les termes en sinus sont nuls.

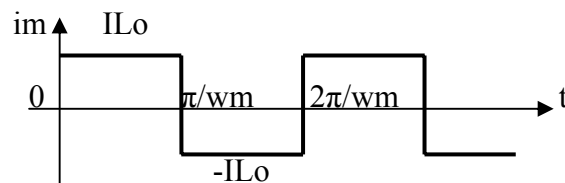
$U_{c1} = (2/3) \cdot (U_{co}/\sqrt{2}) = 4E_m / 3\pi$

222. $u_c = v_l + v_c$ où v_c est constante. Alors $V_{L1} = U_{C1}$.

223. $I_1 = V_{L1} / L_c \cdot \omega_c = 4 \cdot E_m / 3 \cdot \pi \cdot L_c \cdot 2 \cdot \omega_m = 2 \cdot E_m / 3 \cdot \pi \cdot L_c \cdot \omega_m$

224. $L_c > 2 \cdot E_m / 3 \cdot \pi \cdot I_1 \cdot \omega_m = 2 \cdot 400 / 3 \cdot \pi \cdot 5 \cdot 314 = 54 \text{mH}$.

231. $P = U_{co} \cdot \langle i_L \rangle$ donc $\langle i_L \rangle = I_{lo} = 300 \cdot 10^3 \cdot \pi / 2 \cdot 400 \cdot \sqrt{2} = 833 \text{A}$.



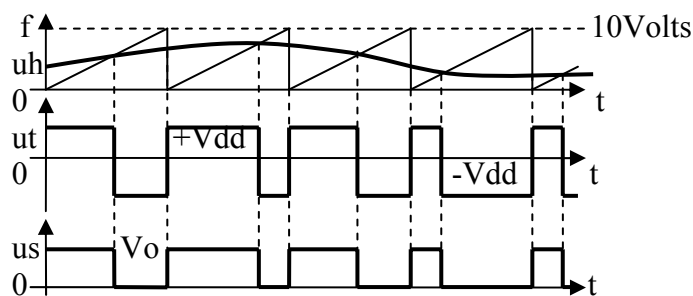
232. $I_{mo} = I_{lo} = 833 \text{A}$.

24. En ralentissement ; E_m décroît et $L \cdot \omega_m$ aussi comme U_{co} .

3. Asservissement du courant d'excitation.

311. AOP en comparateur.

312.313



$$321. \quad u_{so} = \beta_o \cdot V_o$$

$$322. \quad I_{eo} = \beta_o \cdot V_o / R_e$$

$$323. \quad u_s = R_e \cdot i_e + L_e \cdot di_e/dt$$

$$324. \quad \text{De à } \beta_o \cdot Th, V_o = R_e \cdot i_e + L_e \cdot di_e/dt \quad \text{donc } i_e = e^{-t/\tau_e} + V_o/R_e \quad \text{où } \tau_e = L_e/R_e \\ i_e = V_o/R_e + (J_o - V_o/R_e) \cdot e^{-t/\tau_e}.$$

$$325. \quad \text{à } \beta_o \cdot Th, i_e = J_1 = (J_o - V_o/R_e) \cdot e^{-\beta_o Th/\tau_e} + V_o/R_e$$

$$326. \quad \text{De } \beta_o \cdot Th \text{ à } Th, 0 = R_e \cdot i_e + L_e \cdot di_e/dt \quad \text{donc } i_e = J_1 \cdot e^{-(t - \beta_o Th)/\tau_e}$$

$$327. \quad \text{En fin de période } i_e = J_2 = J_1 \cdot e^{-(Th - \beta_o Th)/\tau_e}$$

$$328. \quad \text{En régime stable } J_2 = J_o = [(J_o - V_o/R_e) \cdot e^{-\beta_o Th/\tau_e} + V_o/R_e] \cdot e^{-Th(1 - \beta_o)/\tau_e}$$

$$329. \quad \text{Si } Th > \tau_e \text{ avec les approximations } e^x = 1 + x \quad \text{et} \quad e^{-x} = 1 - x : \\ J_o = [(J_o - V_o/R_e) \cdot (1 - \beta_o Th/\tau_e) + V_o/R_e] \cdot [1 - (Th/\tau_e)(1 - \beta_o)]$$

$$J_o = (J_o - J_o \beta_o Th / \tau_e + V_o \beta_o Th / \tau_e R_e) \cdot [1 - (Th/\tau_e)(1 - \beta_o)]$$

$$J_o = J_o - J_o \beta_o Th / \tau_e + V_o \beta_o Th / \tau_e R_e - J_o Th / \tau_e + J_o \beta_o Th / \tau_e - J_o \beta_o (Th/\tau_e)^2 - J_o (\beta_o Th / \tau_e)^2 + \\ (V_o/R_e)(\beta_o Th / \tau_e)^2$$

$$J_o = V_o \beta_o / R_e$$

$$3210. \quad J_1 = (J_o - V_o/R_e) \cdot (1 - \beta_o Th/\tau_e) + V_o/R_e$$

$$J_1 = J_o - J_o \beta_o Th / \tau_e + V_o \beta_o Th / \tau_e R_e = J_o + (V_o \beta_o Th / L_e)(1 - \beta_o)$$

$$331. \quad \text{Donc } \Delta i_e = (V_o \beta_o Th / L_e)(1 - \beta_o)$$

$$332. \quad \Delta i_e \text{ est maximum si } \beta_o = 0,5.$$

$$333. \quad \Delta i_{e\text{maxi}} = Th V_o / 4 L_{e\text{min}} \quad \text{et} \quad L_{e\text{min}} = Th V_o / 4 \Delta i_{e\text{maxi}} \quad \text{ou} \quad Th_{\text{maxi}} = 4 L_e \Delta i_e / V_o$$

$$334. \quad f_{\text{mini}} = V_o / 4 L_e \Delta i_e = 400 / 4 \cdot 50 \cdot 10^{-3} \cdot 1 = 2000 \text{ Hz}$$

$$341. \quad V_2 = -(R'/R) V_{dc}$$

$$342. \quad R'/R = 25 \quad R' = 25R$$

$$343. \quad V_3 = -(V_{rc} + V_2) = (R'/R) V_{dc} - V_{rc} = 25 V_{dc} - V_{rc}$$

$$344. \quad V_4(p) = -(V_3(p) / R_3)(R_2 + 1/pC_2) = -V_3(p) (1 + pR_2C_2) / pR_3C_2$$

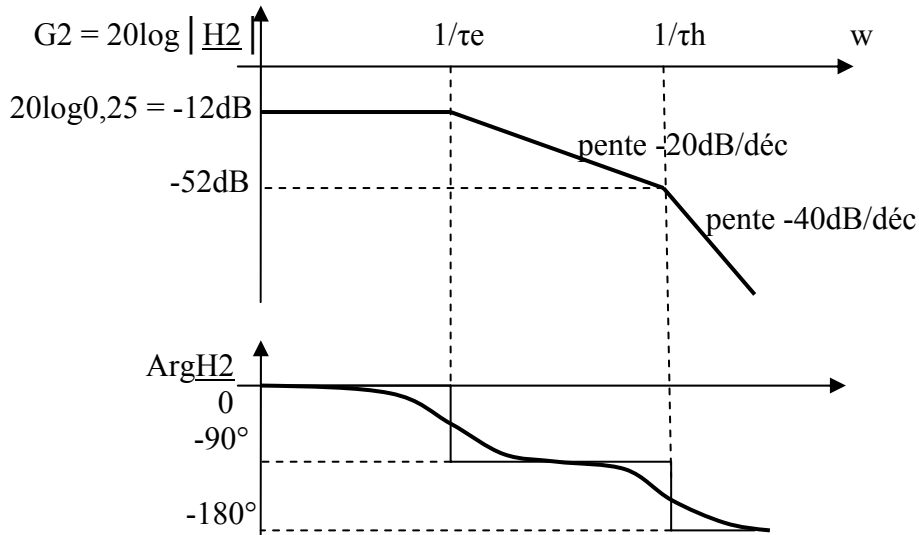
$$345. \quad V_4(p) = [V_{rc}(p) - 25 V_{dc}(p)](1 + pR_2C_2) / pR_3C_2 \quad \text{donc } H(p) = (1 + pR_2C_2) / pR_3C_2$$

$$H(p) = k_{23} \cdot (1 + p\tau_2) / p\tau_2$$

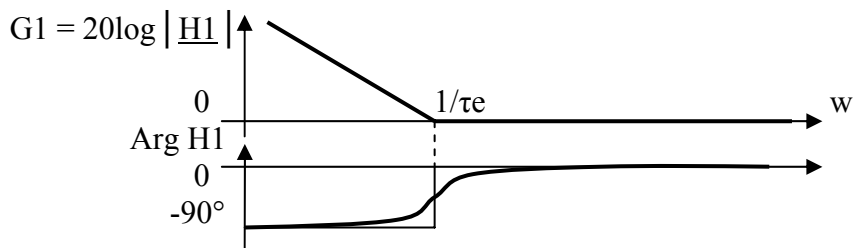
351. $H_2(p) = I_e(p) / U_h(p) = k_h / (1 + p\tau_e) \cdot (1 + p\tau_h)$

$H_1(p) = k_{23} \cdot (1 + p\tau_2) / p\tau_2$

352.

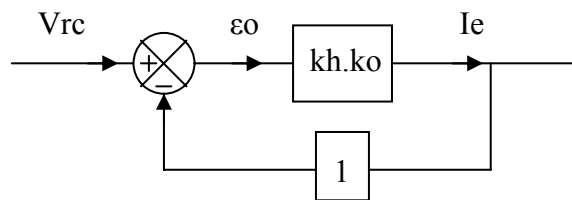


353.



354. $\text{Arg}(H_1 \cdot H_2) = -135^\circ$ (pour une marge de phase de 45°) quand $w = 1/\tau_h$. Alors $|H_1 \cdot H_2| = 1 = k_{23} \cdot k_h / (\tau_e \sqrt{2} / \tau_h)$ et $k_{23} = \tau_e \cdot \sqrt{2} / (\tau_h \cdot k_h) = 566$

355. En statique



$\epsilon_o = I_e / kh.ko = I_e / 566 \cdot 0,25 = 0,7\% I_e$

356. $G_{bf}(p) = H_1(p) \cdot H_2(p) / [1 + H_1(p) \cdot H_2(p)]$

$G_{bf}(p) = [k_h / (1 + p\tau_e) (1 + p\tau_h)] [k_{23} \cdot (1 + p\tau_e) / p\tau_2] / [1 + (k_h \cdot k_{23} / p\tau_e) \cdot (1 + p\tau_h)]$

$G_{bf}(p) = k_h \cdot k_{23} / (k_h \cdot k_{23} + p\tau_e + p^2\tau_e\tau_h)$ $G_{bf}(p) = 1 / (1 + 100\tau_h p / kh.k_{23} + 100\tau_h^2 p^2 / kh.k_{23})$

357. $\omega_o = (kh.k_{23})^{1/2} / 10 \tau_h = 59,5 \cdot 10^{-3} \text{rd/s}$ et $m = 5 / (kh.k_{23})^{1/2} = 0,42$

358. $\omega_r = \omega_o (1 - 2m^2)^{1/2} = 47 \cdot 10^3 \text{rd/s}$.